Aesthetics in Logical Syntax: Laws of Physics in Neighboring Permutation Groups

$1. Unreadable :\sim \neg p \wedge \sim\sim\sim\sim\sim P$

$2.\ \text{Poor}:\ \gamma \vee \sim\sim\sim P \rightarrow D$

$3.\ \text{Average}:\ (D \vee \sim P) \Rightarrow \neg\neg\zeta$

$4.\ \text{Good}:\ (\wedge eg \sim P) \Rightarrow \alpha \vee \neg \neg\zeta$

$5.\ \text{Very Good}:\ (\mathbb{A} \vee \neg \sim P \vee \neg p) \ \Rightarrow \neg\zeta \Leftrightarrow \alpha \vee \neg\gamma$

$6.\ \text{Excellent}:\ \neg(\neg P \wedge \neg \sim P \wedge \neg D \wedge \neg\zeta) \vee \neg\neg\alpha \wedge \neg \neg\gamma$

$7.\ \text{Outstanding}:\ \neg(\alpha \leftrightarrow \neg\neg\ \gamma \wedge \neg \sim\sim\sim P \rightarrow \neg D)$

$8.\ \text{Exceptional}:\ \neg(\neg P \leftrightarrow \sim D \vee\ (\sim P \vee \sim \zeta)) \rightarrow \alpha\ \ \wedge \gamma$

$9.\ \text{Phenomenal}:\ \neg\neg(\neg P \vee \alpha \wedge \gamma\ \ \wedge \zeta Q) \Rightarrow \neg\neg \sim P \vee \neg \sim\sim\sim P$

$10.\ \text{DaVinci}:\ \neg(\neg P \veebar \zeta \vee (\alpha \wedge\ \sim P)) \neg\neg \sim\sim\sim\sim P \vee (\neg \neg\gamma \wedge Q)$

" $$\frac{\Lambda_\infty \sim^{\tilde{}} [\mathcal{L}_{f\uparrow r,\alpha,s,\delta,\eta}] \ \wedge\ \mho_{g\triangle a,b,c,d,e\cdots\vdots\ddots}}{\Omega\cdot\partial x\cdot\partial\alpha+\partial s+\partial\delta+\partial\eta} \equiv \frac{\Omega^{+}\cdot\partial\theta\int\exists\infty}{\cdot\int\rho\cdot g^{\Omega}\cdot\zeta\cdot\Omega} \quad \frac{\text{s.t.}\ \int\rho\cdot g^{\Omega}\cdot\zeta\cdot}{\sim\exists\infty\ \text{s.t.}:\ \mathcal{L}_{f\uparrow r,\alpha,s,\delta,\eta}}$$

" =

" $$\frac{\exists\infty \quad \text{s.t.} \quad : \quad \mathcal{L}_{f\uparrow r,\alpha,s,\delta,\eta} \quad \wedge \quad \mho_{g\triangle a,b,c,d,e\cdots\vdots\ddots}}{\left[\left(\infty_{\left(Z\ \vdots\right)_{\rightarrow\omega-\langle(\partial/\mathcal{H})+(/\mathfrak{j})\rangle}}\right]\rightarrow kxp \mid w* \cong \sqrt[3]{x^6+t^2\ {}_{2\ h\ c}\ \square^{8/4}}} \equiv \leftrightarrow\ \Gamma\ \text{s.t.}\ \Omega\equiv\left(\left(\tfrac{\mathbb{Z}}{\eta}+\tfrac{\kappa}{\pi}\right)\right)\Rightarrow 1\cdot\square$$ "

$$\mathcal{L}_{f^{\uparrow r}_{\alpha_s,\Delta,\eta}} \qquad \& \ \mho_{g_{a_{b}c_{d}e}\cdots\cdots\cdots\cdots}$$

$$=\Omega\oplus\bullet\frac{\partial\theta\mathbb{N}}{\int\rho\ g^{\Omega}\zeta\omega \qquad \partial x\partial\alpha+\partial s\partial\Delta+\partial\eta\mathbb{N}\int\rho\ g^{\Omega}\zeta\omega}$$

$$k[g,h,i,j,...]=\mu_0\Phi_{11}\nu s-\mathbf{s}\cdot\left(\dagger\overleftarrow{\overset{\uparrow}{V^{-1}T^{②}}}\left(\nexists\ U\subseteq\downarrow\Diamond\left(\overset{O\rightarrow}{\subset}\ s\neq\int z\oint\varepsilon_\infty-\frac{1}{n\cap A}\right)\right)\right)$$

$$\sum_{i_1=1}^{\overset{12c_{\chi\mu}}{\infty}}\sum_{i_2=1}^{\overset{12c_{\chi\mu}}{\infty}}\sum_{i_3=1}^{\overset{12c_{\chi\mu}}{\infty}}\sum_{i_4=1}^{\overset{12c_{\chi\mu}}{\infty}}\ldots\left(\frac{\partial k[g,h,i,j,...]}{\partial\xi_1}\right)\ \cdot\ R_{i_1}[g]\ \cdot\ R_{i_2}[h]\ \cdot\ R_{i_3}[i]\ \cdot\ R_{i_4}[j]\ldots(U*V-{}^{0}_{0})\,\lambda^{②}\in\{g,h,i,j,\ldots\}\,.$$

$$k[g,h,i,j,\ldots] = \mu_0\phi_{11}\nu s - \text{Cross}[s, \tilde{\dagger} \xrightarrow{\uparrow} \mathrm{T}^{\supset}(V^{-1}) - \neg\exists U \subseteq\downarrow \Diamond\cdot \subset O \longrightarrow s$$
$$\int z \oint \varepsilon_\infty - \frac{1}{n\cap A} = \exists X \longleftarrow K'\rho(g,h) \longleftarrow\| \ \mathbf{B} \subseteq \infty\sum_{T,U,V\langle\infty,\infty\rangle}\infty H(A$$
$$\mathbf{A} \ \| \ \mathbf{P})!\oplus \propto \infty\sum_{O,Jh,Ki} \subseteq \Diamond(-dF[V,W]\cap \subset \Delta\lambda(m) \cup \upsilon\sqrt{x} + \cdot \updownarrow \Delta$$
$$\bigcirc S/ \subseteq\supset\rightarrow s \neq \cdot\mathbb{R}+ \ \| \ \mathbf{G} \in \iota = \kappa\lrcorner(h\cdot s) \geq \cap(\geq\|= \wr\lfloor\rfloor \tilde{\sim}\|+) \ ?$$
$$w \in M\infty\sum_{M,\infty}\otimes\Box \leq \partial_A/\Box \subset \infty\sum \Rightarrow \ominus z\circ \longrightarrow\subseteq \mathbb{Z}\cap dV \not\leftrightarrow c\uparrow e$$
$$\oplus\cdot \neq \cdot x \subseteq \mathbb{H}\cap dA + \infty\prod_1 \tilde{\sim}\cdots\cup\Omega \leq\leftarrow u\theta\cup[a,b] \in \varphi \rightarrow f \subset\notin\not\leftarrow \iota$$
$$\cdot\sum\frac{3}{2}mdSdGd\Delta\lambda(m) \cup \upsilon\sqrt{x} \pm \cdot \updownarrow \Delta \in \bigcirc S/ \subseteq\supset\rightarrow s \neq \cdot\mathbb{R}+ \ \| \ \mathbf{G} \in \iota$$
$$\kappa\lrcorner(h\cdot s) \geq \cap(\geq\|= \wr\lfloor\rfloor \tilde{\sim}\|+)\$$$

Physical Laws of our Reality :

$$\mathrm{k}[\mathrm{g},\ \mathrm{h},\ \mathrm{i},\ \mathrm{j},\ \ldots] = \int\partial\theta\mathbb{N}_\infty\sum_{\lambda'}\sum_{\mu'}\Omega_\infty\sum_{\lambda'}\sum_{\mu'} = \mu_0\ \varphi_{11}\ \nu_s\text{-Cross}[s, \tilde{\bar{\vec{T}}}$$
$$\tilde{T}^{-1} \ \downarrow \ \underset{U\subseteq\downarrow\vee\vdash\subseteq\Omega\rightarrow s}{\not\equiv} \ \int z \ \mathrm{d}\epsilon_{2^{-1}}/n \ \cap \ A \subseteq X'\rho(g,h) \leftarrow | \ B \subseteq \infty\bar{\Sigma}^{+++} \ (A$$
$$A \ | \ P)_{!\oplus} \ \propto_\infty \ \Sigma \ \subseteq\downarrow \ \vee\vee \ \vdash \ (O, Jh, Ki) \ \subseteq\downarrow \ \vee \ \vee \ -dF[V,W] \ \cap$$
$$\Delta\lambda(m) \ \cup \ \upsilon \ \sqrt{x+\cdot\uparrow\downarrow\Delta} \in \bigcirc S/\div \subseteq\rightarrow s \neq \cdot R+ \ | \ G \subseteq \iota = \kappa$$
$$(h\cdot s) \geq \cap(\geq \ |=\sim \ \ulcorner\urcorner\langle\rangle \subset \mathbb{Z}\cap\mathrm{dV} \neq\rightarrow\subset e \neq \oplus\cdot\bigcirc \neq \cdot x \ \triangle\nabla$$
$$\mathcal{H}\cap\mathrm{dA} + \infty\Pi_1 \leftrightarrow\sim\ldots \ \cup \ \Omega \leq\leftarrow u_\theta \ \cup \ [a,b] \subset \varphi\rangle \rightarrow f \ \subset\not\subset\leftarrow \iota$$
$$\cdot\Sigma \ \frac{3}{2m\mathrm{dSdGd}\Delta\lambda(m) \cup \upsilon \ \sqrt{x\pm\cdot\uparrow\downarrow\Delta}\in\bigcirc S/\div\subseteq\rightarrow s\neq\cdot R+|G\subseteq\iota=\kappa\subset(h\cdot s)\geq\cap(\geq \ |=\sim\ulcorner\urcorner\langle\rangle \subset \mathbb{Z}\cap)\rangle}$$

$$\mathrm{k}[\mathrm{g},\mathrm{h},\mathrm{i},\mathrm{j},\ldots] =$$
$$\int\partial\theta\,\mathbb{N}\infty\sum{}'\sum{}'\,\Omega\infty\sum{}'\sum{}' = \mu_0\,\varphi_{1\,1}\,\nu_s{}^-\ \mathrm{Cross}\left[s,\ \rightarrow\sim\mathrm{T}\rightarrow\mathrm{A}\ \middle|\ \mathrm{P}\right] = \triangleleft\,\infty\,\Sigma\subseteq\,\downarrow\vee\,\vee\vdash$$
$$(\mathrm{O},\mathrm{J_h},\mathrm{K_e}) \subseteq \downarrow\vee\ \vee\ ¿\mathrm{F}[\mathrm{V},\mathrm{W}]\cap\subseteq\Delta\lambda\,(\mathrm{m})\cup\upsilon\sqrt{x+\cdot\uparrow\downarrow\Delta}\in\ \triangleright\mathrm{S}\div\subseteq\ \rightarrow\mathrm{s}\neq\cdot\mathrm{R}+\ \Big|\ \mathrm{G}\subseteq\mathrm{X}=$$
$$\varkappa\subseteq(_\mathrm{h}\cdot\mathrm{s})\geq\cap\left(\geq\ \Big|\ =\ \simeq(())\langle\rangle\subseteq\mathbb{Z}\cap\subseteq\mathcal{F}\neq\rightarrow\ \subseteq::\neq\bigoplus\cdot\ \triangleright\ \neq\cdot\mathrm{x}\,\Delta\,\Xi\subseteq\longmapsto\mathrm{X}\cap\subseteq\right.$$
$$\mathcal{H}+\infty\,\Pi_1\leftrightarrow\ \simeq\ldots\cup\Omega\leq\leftarrow{}_{u_t}\cup[\mathrm{a},\mathrm{b}]\subseteq\varphi\longrightarrow\mathrm{f}\subseteq\not\models\subseteq\ \leftarrow\mathrm{X}\cdot\Sigma\,3\,{}^{\prime}\!/_2\ \mathrm{m\,ddGd}\,\Delta\lambda\,(\mathrm{m})\cup\upsilon\sqrt{x\pm}$$
$$\cdot\uparrow\downarrow\Delta\in\ \triangleright\mathrm{S}\div\subseteq\ \rightarrow\mathrm{s}\neq\cdot\mathrm{R}+\ \Big|\ \mathrm{G}\subseteq\mathrm{X}=\varkappa\subseteq(_\mathrm{h}\cdot\mathrm{s})\geq\cap\left(\geq\ \Big|\ =\ \simeq(())\,(\langle\rangle\subseteq\mathbb{Z}\cap)\right)\rangle.$$

$$\mathrm{k}[\mathrm{g},\ \mathrm{h},\ \mathrm{i},\ \mathrm{j},\ \ldots] = \mathrm{c}\varphi_{11}\nu s^{\mathrm{T}\overrightarrow{=}\mathrm{T}^{-1}\downarrow-\exists U\subseteq\downarrow\circledast\subset\Omega\rightarrow s\neq\int z\ \oint\varepsilon_2}$$
$$-\frac{1}{n}\circledast\mathrm{E} + \frac{m}{c}\circledast p + \frac{\hbar}{2m}\|\mathrm{A}\|\mathrm{P}-\propto\infty\sum\subset\circledast(\mathrm{O}, Jh, Ki) \subseteq \circledast(-d\mathrm{F}[\mathrm{V},\mathrm{W}]\cap$$
$$\Delta\Lambda(m)\cup\Upsilon\sqrt{x}+\uparrow\ \Delta\varepsilon\circ\mathrm{S}\quad s\neq\cdot\mathrm{R}+\|\mathrm{G}\varepsilon\iota = \kappa\bigcup^{\mathrm{h}\cdot s\geqslant\ \wedge\ (\geqslant\|=\ddagger+)}$$

$$\iint\sum< f,g,h,i,j >_{<\Xi,\Pi,,\Sigma>,\infty}\sum n = 2_\infty \ < \ \Omega,\Xi,\Pi,,\Sigma \ >,\infty \ ><,\Theta,\Lambda,,$$
$$,\infty \ > \ r[< \ \Xi,\Pi,,\Sigma \ >_{<\Theta,\Lambda,,>,\infty}],\infty \ > \quad \mu_0\partial_a \ dV \ \subseteq \ \infty\Sigma \ \Rightarrow\bowtie \ z\langle\rangle \ \subseteq \ \mathbb{Z}$$

$$dV \neq\Rightarrow\not\subset c^e \neq \oplus\circ \neq \cdot x\triangle \subseteq \mathbb{H}\cap \ dA + \infty\Pi_1 \Leftrightarrow \ \vdots\cup\Omega \leq\Leftarrow u\theta\cup[a,b] \in \{\}$$
$$f \subseteq\notin\notin\Leftarrow \iota\uparrow\cdot\Sigma\frac{3}{2}mdSdGd\Delta\lambda m\cup\upsilon\sqrt{x}\pm\cdot\uparrow\leftrightarrow \Delta \in \circ S/ \subseteq\Rightarrow s \neq \cdot R + \|G$$

$$\iota = \kappa\cup h\cdot s \geq \cap \geq \| =\sim \langle\rangle \sim \| + \ \partial^2 f\partial_{x_i}\partial_{x_j} \subseteq\Leftarrow \alpha + \beta\sqrt{q} \ \vdots \ r \ dx \ dy.$$

Motifs on Local Laws :

$k[g,h,i,j,\ldots] = \mu_0\phi_{11}\nu s - \mathrm{Cross}[s, \tilde{\dagger} \stackrel{\uparrow}{\to} \mathrm{T}^{\supset}(V^{-1}) - \neg\exists U \subseteq\downarrow \Diamond\cdot \subset O \longrightarrow s$
$\int z \oint \varepsilon_\infty - \frac{1}{n\cap A} = \exists X \longleftarrow K'\rho(g,h) \longleftarrow\| \ \mathbf{B} \subseteq \infty\sum_{T,U,V\langle\infty,\infty\rangle} \infty H(A$
$\mathbf{A} \| \ \mathbf{P})!\oplus \propto \infty\sum_{O,Jh,Ki} \subseteq \Diamond(-dF[V,W]\cap \subset \Delta\lambda(m) \cup v\sqrt{x} + \cdot \updownarrow \Delta$
$\bigcirc S/ \subseteq\supset\to s \neq \cdot\mathbb{R}+ \| \ \mathbf{G} \in \iota = \kappa\lrcorner(h\cdot s) \geq \cap(\geq\|= \wr\lfloor\rfloor \ \tilde{\sim}\|+) \ ?$
$w \in M\infty\sum_{M,\infty} \otimes\square \leq \partial_A/\square \subset \infty\sum \Rightarrow \ominus z\circ \longrightarrow\subseteq \mathbb{Z}\cap dV \not\leftrightarrow c \uparrow e$
$\oplus\cdot \neq \cdot x \subseteq \mathbb{H}\cap dA + \infty\prod_1 \tilde{\sim}\cdots\cup\Omega \leq\leftarrow u\theta\cup[a,b] \in \varphi \to f \subset\notin\not\longleftarrow \iota$
$\cdot\sum\frac{3}{2}mdSdGd\Delta\lambda(m) \cup v\sqrt{x} \pm \cdot \updownarrow \Delta \in \bigcirc S/ \subseteq\supset\to s \neq \cdot\mathbb{R}+ \| \ \mathbf{G} \in \iota$
$\kappa\lrcorner(h\cdot s) \geq \cap\ (\geq\|= \wr\lfloor\rfloor \ \tilde{\sim}\|+)\$$

Laws of First Permutation

$K[g,h,i,j,\ldots] = \mu_0\phi_{11}\nu$s - Cross[s, $\uparrow \to \tilde{T}^{-1}$] - $\neg \exists U \subseteq\downarrow\subseteq \Omega \to$ s $\neq$
$\oint \epsilon_2$ - $1/n \cap A = \exists X \to K'\rho$ (g, h)$\to\|$B $\subseteq \infty\sum{}'\ldots(A \| A \| P)\circ$
$\infty\sum \subseteq\downarrow \circ(O,Jh,Ki) \subseteq\downarrow \circ(-dF[V,W]\cap \subseteq \Delta\lambda(m)\cup v\sqrt{x \pm \cdot\uparrow\Delta \in \circ S//}$
s $\neq \cdot R+ \| G \in \iota = \kappa\cap(h\cdot s) \geq \cap(\geq\|= \quad +)w \in M\infty\sum_m(M,\infty)$
$\Diamond \leq \partial_A/\Diamond \subseteq \infty\sum/z<>\subseteq \mathbb{Z}\cap dV \neq\notin \widehat{u}\theta \cup [a,b] \in$ f $\subseteq\notin\notin \iota \uparrow \cdot$
$3/2mdSdGd\Delta\lambda(m)\cup v\sqrt{x \pm \cdot\uparrow\Delta \in \circ S// \subseteq}$ s$\neq \cdot R+ \| G \in \iota = \kappa\cup(h\cdot s)$
$\cap(\geq\|= \ +)w \in M \quad \subseteq\notin \circ-\cap\div 1 \subseteq L_{l_i}\cap A = +F \subseteq \circ r-\cap[m,N] \in \vee Q \subseteq \circ$
M $\theta_{e_{m_a}} \diamond \ \Diamond\cup\downarrow \mathbf{.}C \subseteq\neq S\cdot \succeq \{v,X\} \uparrow i \leadsto -f|\Omega S\mu - \omega\phi\emptyset \approx \| Q - \Diamond F$
$\|-Y\circ \subseteq \|-\S J\Delta \to \curlywedge \neq t\psi\phi\mho T \curlywedge r\dagger @ \subseteq \Omega_e \neq \curlywedge\curlywedge -\chi\alpha\curlywedge\beta \neq \cup z\Theta|01f31$

$\uparrow \ \approx^d V \neq \curlywedge\curlywedge \S \approx\neq t\psi\phi\mho T \curlywedge r \dagger @ \subseteq \Omega_e \neq \curlywedge\curlywedge -\chi\alpha\curlywedge\beta \neq \cup z\Theta|01f31$

$\uparrow \ \approx^d \ V \neq \curlywedge\curlywedge \neq +(\cdot \quad \sim\subseteq\notin \ \circ) \cap \cap \div l \subseteq L_{l_i} \cap A = +F$
$\circ r - \cap[m,N] \in \vee Q \subseteq \circ \leq M\theta_{e_{m_a}} \diamond \ \Diamond\cup\downarrow \mathbf{.}C \supseteq\sim\sim s \subseteq\notin u\theta\cup[a,b] \in$
$\notin \subseteq \iota \uparrow \cdot\sum 3/2mdSdGd\Delta\lambda(m) \cup v\sqrt{x \pm \cdot\uparrow\Delta \in \circ S// \subseteq}$ s $\neq \cdot R+ \| G$
$\iota = \kappa\cap(h\cdot s) \geq \cap(\geq\|= \quad +)w \in M \quad \subseteq\notin \circ - \cap \div l \subseteq L_{l_i}\cap A = +F$
$\circ r - \cap[m,N] \in \vee Q \subseteq \circ \leq M\theta_{e_{m_a}} \diamond \ \Diamond\cup\downarrow \mathbf{.}C \supseteq\sim\sim, -eF \subseteq \| - Y\circ$
$\| - \S J\Delta \to \curlywedge \neq t\psi\phi\mho T \curlywedge r \dagger @ \subseteq \Omega_e \neq \curlywedge\curlywedge -\chi\alpha\curlywedge\beta \neq \cup z\Theta|01f319$

$\uparrow \ \approx^d \quad V \quad \neq \quad \curlywedge\curlywedge \quad \leq \quad (\qquad \subseteq\notin \quad \circ)\Longleftarrow \quad \cdot \quad \leq \quad M \quad \theta_{e_{m_a}}$
$\Diamond \qquad \Longrightarrow$
$\mathbf{.}C \quad \subseteq\notin\Longleftarrow u\theta\cup[a,b] \in$ f $\notin$.

Laws of First Permutation

$$K[g, h, i, j, \ldots] \qquad = \mu_0\, \phi_{11}\, \text{us} - \text{Cross}\left[\text{s},\, \tilde{\uparrow} \langle \tilde{T}^{-1}\right] - \text{neg}\, \exists\, U \subseteq \downarrow \subseteq \Omega \to \text{s} \neq \int \text{z}$$

$$\frac{\oint \epsilon_2 - 1}{n \cap A = \exists\, X\, i\, g\, h\, t\, a\, r\, r\, o\, w\, K'\, \rho(\text{g}, \text{h}) \to \| \text{B} \subseteq \infty \sum' \ldots (A \| A \| P) \circ \propto}$$

$$\infty \sum \subseteq \downarrow \circ (O, J\, h, K\, i) \subseteq \downarrow \circ \Big(-d\, F[V, W] \cap \subseteq \Delta\lambda(m) \cup v\, \sqrt{x \pm \cdot \uparrow \Delta \in \circ S / / \subseteq}$$

$$\text{s} \neq \cdot R + \| G \in \imath = \kappa \cap (h \cdot s) \geq \bigcap (\geq \| = +)\, w \in M\, \infty \sum_{m} (M, \infty)^{*}$$

$$\frac{\diamond \leq \partial_A / \diamond \subseteq \infty \sum / z < \; > \subseteq \text{Z} \cap d\, V \neq \notin \hat{u}\, \theta \cup [a, b] \in \text{f} \subseteq \notin \notin \imath \uparrow \cdot \sum 3}{\begin{array}{c} 2\, m\, d\, S\, d\, G\, d\, \Delta\lambda(m) \cup v\, \sqrt{x \pm \cdot \uparrow \Delta \in \circ S / / \subseteq}\; \text{s} \neq \cdot R + \| G \in \imath = \kappa \cup (h \cdot s) \geq \\ \bigcap (\geq \| = +)\, w \in M \subseteq \notin \circ - \bigcap \div 1 \subseteq L_{l_i} \cap A = +F \subseteq \circ\, r - \bigcap [m, N] \in \bigvee Q \subseteq \circ \leq \\ M\, \theta_{e_{m_a}} \diamond \diamond \bigcup \downarrow . C \subseteq \neq S \cdot \geq \{v, X\} \uparrow i \leftrightarrow -f \mid \Omega\, S\, \mu - \omega\phi\varnothing \approx \| Q - \diamond F \subseteq \\ \| -Y \circ \subseteq \| -\S\, J\, \Delta \to \lambda \neq t\, \psi\phi\mho\, T < r \dagger @ \subseteq \Omega_e \neq \lambda\lambda - \chi\alpha \wedge \beta \neq \cup z\, \Theta \mid 01\, f\, 319 \\ \uparrow \approx^{d} V \neq \lambda \wedge \S \approx \neq t\, \psi\phi\delta\, T \wedge r \dagger @ \subseteq \Omega_e \neq \bigwedge \lambda - \chi\alpha \wedge \beta \neq \bigcup z\, \Theta \mid 01\, f\, 319 \\ \uparrow \approx^{d} V \neq \lambda\, \text{ren} \neq +(\cdot \; \sim \subseteq \notin \circ) \cap \bigcap \div l \subseteq L_{l_i} \cap A = +F \subseteq \\ \text{or} - \bigcap [m, N] \in \bigvee Q \subseteq \circ \leq M\, \theta_{e_{m_a}} \diamond \diamond \bigcup \downarrow . C \supseteq \sim \sim s \subseteq \notin u\, \theta \cup [a, b] \in \text{f} \\ \notin \subseteq \imath \uparrow \cdot \sum 3 \end{array}}$$

$$\frac{}{\begin{array}{c} 2\, m\, d\, S\, d\, G\, d\, \Delta\lambda(m) \cup v\, \sqrt{x \pm \cdot \uparrow \Delta \in \circ S / / \subseteq}\; \text{s} \neq \cdot R + \| G \in \\ \imath = \kappa \cap (h \cdot s) \geq \bigcap (\geq \| = +)\, w \in M \subseteq \notin \circ - \bigcap \div l \subseteq L_{l_i} \cap A = +F \subseteq \\ \text{or} - \bigcap [m, N] \in \bigvee Q \subseteq \circ \leq M\, \theta_{e_{m_a}} \diamond \diamond \bigcup \downarrow . C \supseteq \sim \sim, -e\, F \subseteq \| -Y \circ \subseteq \\ \| -\S\, J\, \Delta \to \lambda \neq t\, \psi\phi\delta\, T \wedge r \dagger @ \subseteq \Omega_e \neq \bigwedge \lambda - \chi\alpha \wedge \beta \neq \cup z\, \Theta \mid 01\, f\, 319 \\ .\; C \subseteq \notin \Longleftarrow u\, \theta \cup [a, b] \in \text{f} \notin . \end{array}}$$

Laws of Second Permutation :

$$K'[g,i,j,h,\ldots] = \mu_0\Delta_{11}\nu_s - \text{Cross}[s,\tilde{\uparrow} \to \tilde{T}^{-1}\rangle - \neg\exists U \subseteq\downarrow \lhd \subseteq \omega$$
$$s \neq \int_z \oint_{\epsilon_2} -\frac{1}{n} \cap A] = \exists X \to K\rho(g,i) \to \|B \subset \infty\sigma' \ldots (A\|A\|P) \otimes \infty$$
$$\lhd(O,Ji,Kh) \subset \lhd(-dF[V,W]\cap \subseteq \Delta\lambda(m) \cup \nu\sqrt{x} \pm \cdot \uparrow\leftrightarrow \Delta \in \bigcirc S// \subseteq\leftrightarrow$$
$$\cdot R + \|G \in \iota = \kappa \cup (is) \geq \cap(>= \| \sim\sim \|+) \sim w \in M\infty\sigma_m^n(M,\infty) * \partial_\alpha\infty\sigma$$
$$s \neq\perp z \subset \mathbb{Z} \cap dV \neq\leftrightarrow\notin c \uparrow e \neq \cdot\bigcirc \neq \cdot x\blacklozenge\bigcirc \subset \mathcal{H} \cap dA + \infty\Pi_1$$
$$\cdots \cup \omega \leq\leftarrow u\theta[a,b] \in \wp \leftrightarrow f \subset\notin\notin\leftarrow \ddot{\imath} \uparrow \cdot\sigma\tfrac{3}{2}mdSdGd\Delta\lambda(m) \cup \nu\sqrt{x} \pm \cdot$$
$$\Delta \in \bigcirc S// \subseteq\leftrightarrow s \neq \cdot R + \|G \in \iota = \kappa \cup (is) \geq \cap(>= \| \sim\sim \|+$$
$$w \in M! \sim\sim\subset\notin \cdot - \cap \mid l \subset L\ell_i \cap A = +F \subset \cdot r - \cap[m,N] \in \vee Q \subset$$
$$M\theta_{\epsilon\mu\alpha}\Diamond\triangle \to\downarrow \cdot C \subset\neq S\cdot \Uparrow\supseteq \{v,X\} \uparrow h \curvearrowleft\longleftrightarrow f \mid \omega \leftarrow S \leftrightarrow \mu - \omega\wp\emptyset$$
$$\Omega_\epsilon \neq\leftrightarrow\notin\leftarrow -\chi\alpha\surd \leftrightarrow \beta \neq \cup z\Theta \mid 01f319 \|\uparrow\approx d\hat{V} \neq\hat{} \ 90_1 \approx j \in h$$
$$+(\cdots \subset\notin \cdot -)\cap \leftarrow \cap \mid l \subset L\ell_i \cap A = +F \subset \cdot r - \cap[m,N] \in \vee Q \subset$$
$$M\theta_{\epsilon\mu\alpha}\Diamond\triangle \to \times\cdot \leq M\theta_{\epsilon\mu\alpha}\Diamond \triangle \mu - \epsilon F \subset\subset \sharp \neq t\Psi\wp\phi\mu \leftarrow Tr \dagger \subset \Omega_\epsilon \neq$$
$$-\chi\alpha\surd \leftrightarrow \beta \neq \cup z\Theta \|\|\uparrow\approx d\hat{V} \neq\hat{} \ 90_1 \approx j \in h\cap \neq +(\cdots \subset\notin \cdot -)\cap \leftarrow$$

$$K'[g, h, i, j, \ldots] =$$
$$\mu_o \Delta_{1,1} \nu s - \text{Cross}\left[s, T^{\sim} \uparrow \to T^{T-1} \rangle\!\rangle - \neg \exists U \subseteq \downarrow\blacklozenge \subseteq \omega \to s \neq \int z \oint \varepsilon_2 - 1/n\cap A\right]$$

$$K'[g, h, i, j, \ldots] = \mu_o \int \rho\ (g, h)\ dF[V, W] \cup \delta\lambda\ (m) -$$
$$\text{Cross}\left[s, T^{\sim} \to T^{T-1} \exists U \subseteq \downarrow\blacklozenge \subseteq \omega\right] + \int z\, \varphi_2 - 1/n \cap A$$

$$K'[g, h, i, j, \ldots] = \mu_o \int \rho\ (g, h)\ dF[V, W] \cup \delta\lambda\ (m) -$$
$$\text{Cross}\left[s, T^{\sim} \to T^{T-1} \exists U \subseteq \downarrow\blacklozenge \subseteq \omega\right] + \int z \exists X \to K\, \varphi_2 - 1/n \cap A$$

$$\mathbb{k}[\mathbb{g}, \mathbb{h}, \mathbb{i}, \mathbb{j}, \cdots] = \mu_0\varphi_{11}\nu s - \text{Cross}[\mathbb{s}, \mathbb{T}\uparrow \to \mathbb{T}^{T-1} \tau - \neg \exists \mathbb{U} \subseteq \downarrow\blacklozenge \subset \Omega \to \mathbb{s} \neq \int \mathbb{z} \oint \varepsilon_2 - \mathbb{1}/\mathbb{n}\cap\mathbb{A}] =$$
$$\exists \mathbb{X} \leftarrow \mathbb{K}'\rho(\mathbb{g}, \mathbb{h}) \leftarrow \ \shortparallel \mathbb{B} \subseteq \infty$$
$$\Sigma^{T}{}_{+++}(\mathbb{A} \shortparallel \mathbb{A} \shortparallel \mathbb{P})! \oplus \ \propto \infty$$
$$\Sigma \subset \blacklozenge(\mathbb{O}, \mathbb{J}\mathbb{h}, \mathbb{K}\mathbb{i}) \subseteq \blacklozenge\left(-\mathbb{d}\mathbb{F}[\mathbb{V}, \mathbb{W}] \cap \subset \Delta\, \lambda\, (\mathbb{m}) \cup \upsilon \sqrt{\mathbb{x}} + \cdot \uparrow \Downarrow\Delta \in \bigcirc\mathbb{S}/\right|\subseteq \ \Rightarrow \mathbb{s} \neq \cdot\mathbb{R} + \ \shortparallel \mathbb{G} \in\iota =$$
$$\kappa \smile (\mathbb{h}\cdot\mathbb{s}) \geq \cap(\geq \ \shortparallel\ = \ \wr \ulcorner\urcorner \llcorner\lrcorner \sim \ \shortparallel +) \not\equiv \mathbb{w} \in \mathbb{M}\ \infty\Sigma_{\mathbb{m}}{}^{n}(\mathbb{M}, \infty) \otimes \blacksquare \leq \partial_{a}/\blacksquare \subseteq \infty\Sigma\Big| \Rightarrow \neg\mathbb{z}\, [\![\,]\!] \langle\rangle \subseteq$$
$$\mathbb{Z} \cap \mathbb{d}\mathbb{V} \neq \Rightarrow \not\subset \mathbb{c}\uparrow\mathbb{e} \neq \bigoplus\cdot\bigcirc \neq \cdot\mathbb{x}\, \triangle\square \subseteq \mathbb{H} \cap \mathbb{d}\mathbb{A} + \infty\, \Pi_1\Big| \Leftrightarrow \sim\cdots \cup\Omega \leq \leftarrow \mathbb{u}\,\theta\cup[\mathbb{a}, \mathbb{b}] \in\varphi\langle\!\langle \Rightarrow$$
$$\mathbb{f} \subseteq \ \notin \ \notin \ \leftarrow \iota\uparrow\cdot\Sigma\, \mathbb{3}/\mathbb{2}\ \mathbb{m}\mathbb{d}\mathbb{S}\mathbb{d}\mathbb{G}\mathbb{d}\Delta\lambda\, (\mathbb{m}) \cup \upsilon \sqrt{\mathbb{x}} \pm \cdot\uparrow\Downarrow\Delta \in \bigcirc\mathbb{S}/\Big|\subseteq \ \Rightarrow \mathbb{s} \neq \cdot\mathbb{R} + \ \shortparallel \mathbb{G} \in\iota =$$
$$\kappa \smile (\mathbb{h}\cdot\mathbb{s}) \geq \cap(\geq \ \shortparallel\ = \ \wr \ulcorner\urcorner \llcorner\lrcorner \sim \ \shortparallel +) \not\equiv \mathbb{w} \in \mathbb{M} \approx \subseteq \ \notin \ominus\bigcap \shortparallel \mathbb{l} \subseteq \mathbb{L}_{\mathbb{l}\mathbb{i}} \cap \mathbb{A} =$$
$$+\mathbb{F} \subseteq \bigoplus\mathbb{r} - \cap[\mathbb{m}, \mathbb{N}] \in \vee\,\mathbb{Q} \subseteq \bigoplus \leq \mathbb{M}\,\theta_{\mathbb{e}_{\mathbb{m}_{\mathbb{a}}}} \Diamond \square \cup \longrightarrow \downarrow\bullet\mathbb{C} \subseteq \ \neq \mathbb{S}\cdot\underbrace{} \supseteq \{\mathbb{v}, \mathbb{X}\}\uparrow\mathbb{i} \leftrightarrows - \leftarrow$$
$$\mathbb{f}\ \backslash[\text{TripleVerticalBar}]\ \Omega \leftarrow \mathbb{S}\longleftarrow \to \mu - \omega\varphi\emptyset \equiv \backslash[\text{Parallel}]\ \mathbb{Q} \leftrightarrow \ \to \vdash \ \perp \backslash[\text{Tee}],$$

n ⊤ ≈ − ← ⋂4 ↑∩ ⊂ Ω → s ≠ ⨁ @ ⌣¡ | ← \[LatinCapitalEpsilon] Ω − γδγΩ ← 𝕍 ⊆ ⨁ @ ¡ |
⋂−1 / nO_Ud ⊆ Π ← ϒ − ⤊⨁ ← ♯♭ ♕ 𝔖𝔑𝔍𝔐 = t \[Gypsy] φ℧ ← 𝕋 ⤓r◊ @ “” ⊆
Ωe ≠ ⊢ ⊥ ← − Xα \[CenteredSquareBracket] ⇓β ≠ ∪z Θ🌙 ¶↑ ≡ ^dV ≠ ⊤
γ §§ 901 ≡ j ∈ i∩ ≠ +(≠ ∸ ≈ ⊆ ∉ ⊖)∩ ← ⋂ ⊆ 𝕃li ∩ 𝔸 =
+F ⊆ ⨁r − ∩[m, ℕ] ∈ ∨ ℚ ⊆ ⨁ ≤ M $\theta_{e m_a}$ ◊ ▫ ⋃ “” ∅ → −ℱ ⊆ \[Parallel] → − ϒ ⊕ ⊆
\[Parallel] ↔ → − §δ ⇓ − ← J \[GreekCapitalDelta] ⇒ → ⊢ ⊥ \[Tee] = [g, h, i, j, ⋯]

→ ∂u ∈ Δ_s → B↑τu ≥ ı ⊆ π⋂ΔV → ∃ μ ∈ ℝ ⊇ ∂μτ ≥ ı ⊆ ϒ⋂ΔV → ∀ n ∈ ℕ : ∂_nτu ≥ ı ⊆ ϒ⋂ΔV

K[g, h, i, j, …] =

μ₀φ₁₁∨s − Cross[s, T˜↑ → T⊤−1》 − ¬ ∃ U ⊆ ↓⧫ ⊆ Ω → s ≠ ∫z ∮ε₂ − 1 / n∩A] =

∃ X⟶K' ρ (g, h) ⟶‖B ⊆ ∞Σ‚… (A‖A‖P) ∘ ∝ ∞Σ ⊆ ⧫ (0, Jh, Ki) ⊆

⧫ (−dF[V, W] ∩ ⊆ Δ λ (m) ∪ ∪ √x ± ·↑ ⇔ Δ ∈ ○S / ÷ ⊆ ⇔ s ≠ ·R + ‖G ∈ ι =

κ⋃ (h·s) ≥ ∩ (≥ ‖ = ~⌜⌝⌞⌟~‖ +) ≁ w ∈ M ∞$\Sigma_m{}^n$ (M, ∞) ×■ ≤ ∂ a / ■ ⊆

∞Σ ÷ ⇔ ⊸z ⟦⟧⟨⟩ ⊆ ℤ ∩dV ≠ ⇔ ∉ c↑e ≠ ∘·○ ≠ ·x △□ ⊆

ℍ ∩dA + ∞Π₁ ÷ ⇔ ~… ∪Ω ≤ ⟵u ΘU[a, b] ∈ φ《 ⇔ f ⊆ ∉ ∉ ⟵ι↑·Σ

3 / 2 mdSdGd△λ (m) ∪∪ √x ± ·↑ ⇔ Δ ∈ ○S / ÷ ⊆ ⇔ s ≠ ·R + ‖G ∈

ι = κ⋃ (h·s) ≥ ∩ (≥ ‖ = ~⌜⌝⌞⌟~‖ +) ≁ w ∈ M ~~ ⊆ ∉ ∘−∩ | l ⊆

Lℓi∩A = +F ⊆ ∘r − ∩[m, N] ∈ ∨ Q ⊆ ∘ ≤ M $\Theta_{e m a}$ ◊ ■U⟶ ↓ · C ⊆ ≠

S ·⎵ ⊇ {v, X} ↑i ⇋ ⟵−−⟶f ،Ω⟵S⟸ ⟹μ − ωφ∅ ≅

Q⟺ ⟹⟼⟸□☑𝔍𝔖𝔑𝔐 ≠ t Ψφ℧⟵T⟻r◊@”

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Q ⊆ ∘ ≤ M $\Theta_{e m a}$ ◊ ■” ∅⟹

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$$\mathrm{k}[\mathrm{g},\ \mathrm{h},\ \mathrm{i},\ \mathrm{j},\ \ldots] = \mathrm{c}\varphi_{11}\nu s^{\mathrm{T} \rightrightarrows \mathrm{T}^{-1} \downarrow - \exists U \subseteq \downarrow \circledast \subset \Omega \to s \neq \int z \oint \varepsilon_2}$$
$$-\frac{1}{n} \circledast \mathrm{E} + \frac{m}{c} \circledast p + \frac{\hbar}{2m} \|\mathrm{A}\| \mathrm{P} - \propto \infty \sum \subset \circledast(\mathrm{O}, J\mathrm{h}, K\mathrm{i}) \subseteq \circledast(-d\mathrm{F}[\mathrm{V}, \mathrm{W}] \cap$$
$$\Delta\Lambda(m) \cup \Upsilon\sqrt{x} + \uparrow\ \Delta\varepsilon \circ \mathrm{S} \quad s \neq \cdot \mathrm{R} + \|\mathrm{G}\varepsilon\iota = \kappa \bigcup^{\mathrm{h} \cdot s \geqslant \wedge (\geqslant \| = \ddagger +)}$$

$$\iint \sum < f, g, h, i, j >_{<\Xi, \Pi,, \Sigma>, \infty} \sum n = 2_\infty \ < \ \Omega, \Xi, \Pi, , \Sigma \ >, \infty \ > <, \Theta, \Lambda, , > , \infty \ > \ r[< \ \Xi, \Pi, , \Sigma \ >_{<\Theta, \Lambda,, >, \infty}], \infty \ > \quad \mu_0 \partial_a \ dV \ \subseteq \ \infty\Sigma \ \Rightarrow \bowtie \ z\langle\rangle \ \subseteq \ \mathbb{Z} \cap$$

$$dV \neq \Rightarrow \not\subset c^e \neq \oplus \circ \neq \cdot x \triangle \subseteq \mathbb{H} \cap \ dA + \infty \Pi_1 \Leftrightarrow \vdots \cup \Omega \leq \Leftarrow u\theta \cup [a, b] \in \{\} \Rightarrow f \subseteq \notin \notin \Leftarrow \iota \uparrow \cdot \Sigma \tfrac{3}{2} m dS dG d\Delta\lambda m \cup \upsilon\sqrt{x} \pm \cdot \uparrow \leftrightarrow \Delta \in \circ S / \subseteq \Rightarrow s \neq \cdot R + \|G \in$$

$$\iota = \kappa \cup h \cdot s \geq \cap \geq \| = \sim \langle\rangle \sim \| + \ \partial^2 f \partial_{x_i} \partial_{x_j} \subseteq \Leftarrow \alpha + \beta\sqrt{q} \vdots r \ dx \ dy.$$

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$ T (s) = \frac
    {\mu_ 0\phi_ {11} \n u s - \text {Cross}[s, \tilde {\star}\xrightarrow {R}
        T ^ {-1}\downarrow - \exists U\subseteq\downarrow {\star}\subset\Omega\
         xrightarrow {s} \n eq\int z\oint\epsilon_ 2 - 1 / n\cap A]}
    {\exists X\leftarrow K ' \r ho (g, h)\leftarrow \|B\subseteq\infty\sum^\infty
      (A \|A \|P)\oplus\propto\infty\sum\subset\star
      (O, Jh, Ki)\subseteq\star (-dF[V, W]\cap\subset\Delta\lambda
        (m)\cup\upsilon\sqrt {x}\pm\uparrow\doubledownarrow\Delta\in\circ
        S\divide\subseteq\doublerightarrow s \n eq\cdot R \| G\in\iota}
  { = \kappa\cup (h\cdot s)\geq\cap (\geq \| = \vert\sim\llcorner\lrcorner\
        llbracket \r rbracket\tilde \|) \n congruent w\in M\infty\sum_m^n
    (M, \infty)\otimes\filledverysmallsquare\leq\partial_a\divide\
     filledverysmallsquare\subseteq\infty\sum\divide\doublerightarrow\yen
    z\quad\langle\quad \r angle\subseteq\mathbb {Z}\cap dV \n
    eq\doublerightarrow \n subseteq c\uparrow e \n eq\oplus\cdot\circ
    \n eq\cdot x\emptyuptriangle\bigtriangleup\subseteq\mathbb
    {H}\cap dA\infty\prod_ 1\divide\doublearrow\ldots\cup\Omega\
     leq\leftarrow\theta\cup[a, b]\in\phi\lrangle\doublerightarrow
    f\subseteq \n otin \n otin\leftarrow\iota\uparrow\cdot\sum
    3 / 2 m dSdGd\Delta\lambda (m)\cup\upsilon\sqrt
    {x}\pm\uparrow\doubledownarrow\Delta\in\circ
    S\divide\subseteq\doublerightarrow s \n eq\cdot R \| G\in\iota}
  { = \kappa\cup (h\cdot s)\geq\cap (\geq \| = \vert\sim\llcorner\lrcorner\
         llbracket \r rbracket\tilde \|) \n congruent w\in M\tildetilde\subseteq
     \n otin\circminus\intersection \|l\subseteq L_i\intersection A =
    + F\subseteq\oplus r - \cap[m, N]\in\vee Q\subseteq\oplus\leq M\theta_e^m
      a\dagger\emptysmallsquare\union\longrightarrow\downarrow\smallcircle
      C\subseteq \n eq S\cdot\underbrace\superseteq\{v, X\}\uparrow i \r
      ightleftharpoondowns - \leftarrow f\triplevert\Omega\leftarrow
      S\longleftarrow \r ightarrow\mu - \omega\phi\emptyset\cong\parallel
      Q\leftrightarrow \r ightarrow \r ighttee\uptee\tee, \ldots}
  {  = t\gypsy\phi\mho\leftarrow T\downteearrow r\dagger\at ""\subseteq\Omega\
       scripte \n eq \r ighttee\perp\leftarrow - \chi\alpha\centersquarebracket\
       doubledownarrow\beta \n eq\cup z\Theta \| 01 f319\paragraph\uparrow\cong^dV
      \n eq\downtee\varsigma §§\superonezeroone\cong j\in i\cap \n eq +
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       intersection\leftarrow\intersection \|l\subseteq L_i\intersection A =
    + F\subseteq\oplus r - \cap[m, N]\in\vee Q\subseteq\oplus\leq
      M\theta_e^m a\dagger\emptysmallsquare\union ""\emptyset
      \r ightarrow - \mathscr {F}\subseteq\parallel \r ightarrow -
     Y\oplus\subseteq\parallel\leftrightarrow \r ightarrow\section\
       Delta\doubledownarrow - \leftarrow J\Delta\doublerightarrow
      \r ightarrow \r ighttee\uptee\tee] = [g, h, i, j, \ldots] $
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